



## Structure in Radiative Shock Experiments

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## We call shock waves radiative when...

• Radiative energy flux would exceed incoming material energy flux



where post-shock temperature is proportional to  $u_s^2$  in simple shock model.

• The ratio of these energy fluxes is proportional to  $u_s^5/\rho_0$ , so for high enough  $u_s$ , radiation dominates.







## Conservation of energy forces the shock wave to develop complex structure







## Shocks in supernovae pass through the regime of our experiments as they emerge



#### **1987A simulation**

Xe experiment simulation

- Core collapse SN shock develops a thin dense shell.
  - This occurs once radiation ahead of the shock can escape.
  - This should lead to increase in luminosity.
  - Breakup of dense shell is of interest and will impact later SNR structure.







# Experiments are conducted in directly driven xenon-filled shock tubes on the Omega laser







### Radiography measures shock features



- Shock is driven by 20 μm Be disc, t = 13 ns, shock traveling at ~110 km/sec.
- Shock has traveled 2 mm, apparently compressed material to < 150 μm.</li>
- Gold Grid serves as a spatial fiducial. Data from pre-shot metrology is used to diagnose lengths in target image.
  - No transmission through the dense layer.







October 2008, we shot a campaign of nominally identical targets.

Achieved  $\sim 5\%$ build variation, lower laser and gas variation, additional alignment variation on some shots, one known out-of-spec target.





arget Coord. Y 0

-200

-400

1400 1600 1800 2000 2200 Target Coord. X (µm)

200 Target (

> 1400 1600 1800 2000

Target Coord. X (µm)



0.25



### We infer mean shock compression



- For a given true mean compression  $\theta \chi$ , we generate a histogram of predicted observations.
- Observations are skewed to lower values.
- Fitting observed quantities to Tilt() distributions, we generate a distribution for  $\theta \chi$ .
- Mode at 21.5, 95% interval asymmetrically distributed between [20.7,23.7].
- Probability 99.99% θχ > 20.2







### Wall shocks control the lateral boundaries



High resolution HYDRA\* simulation The shock tube is typically much denser and stronger than the interior material. Normally, the shock tube's evolution has small effects on material ahead of the shock.

\* M. M. Marinak et al., *Phys.*\* *Plasmas* 8, 2275 (2001)

- This assumption breaks down in HED systems.
- Radiation from the shock induces plastic ablation, forming a radial blast wave in the tube.







## Effects of the wall shock are clearly seen in radiating shock experiments



#### 1400 1600 1800 2000 2200 2400 Target Coord. X (μm)

Omega Shot 52665

Wall shock induced features include:

• Finite displacement of shock edges from tube walls

Angle of primary shock
deflection at kink

• Angle of wall shock off of wall

Curvature and thicknesses of the trails

• Dense Xenon collected behind the primary shock.

Wall shock features contain information.







## The entrained flow behind the shock is also a consequence of the wall shocks



- Xenon which passes through multiple oblique shocks will exit the system faster than flow through a single normal shock.
- Mass swept up by wall shock around edge of the tube becomes the dense xenon in the entrained flow.







## Results of analysis show structure internal to shocked layer







### Analysis yields a dispersion relation

$$2n^4 + n^2 \left(k^2 c_s^2 - \frac{\dot{V}_s^2}{c_s^2}S\right) - k^2 \dot{V}_s^2 S = 0$$
  
where  $S = 1 + \frac{jc_s^2}{\dot{V}_s \tanh jH}$ 

- with *n* the growth for a given wavenumber *k*, and  $j^2 = k^2 + c_s^2$ .
- For k small, the tanh *jH / j* term becomes simply *H*, and solutions are analytically expressible. Otherwise, can solve this equation numerically.







## Model predicts regions of instability

- The dispersion relation can be plotted for our shock parameters.
- Find a region of instability for wavelengths between about 190 to 1200 microns.
- Peak growth at about 350 microns, with growth rate
   1.2 · 10<sup>8</sup> sec<sup>-1</sup>.
- A number of these should be able to fit within our 575 micron tube.









### Do we have evidence of instability growth?

• Previous images may show evolution of high/low density regions









## Shock instability may occur in astrophysics

- This instability could be responsible for structure evolution in supernova remnants.
- Shown: SN1993J, three to five years after nova.









 $c_s^2$ 

 $\cdot n$ 

kH

 $\Pi_2$ 

 $\Pi_3$ 

tanh

## The dispersion relation may be nondimensionally scaled $n^4 + n^2 k^2 c_s^2 - k^2 \dot{V}_s^2 \left(1 + \frac{k c_s^2}{\dot{V}_s \tanh kH}\right) =$

- The dispersion relation (here neglecting acoustic terms for simplicity) may be rewritten as a function of three dimensionless parameters.
- If two input parameters are matched in two systems, the third parameter will necessarily be equal.

## $\Pi_3^4 + \Pi_1^2 \Pi_2^2 \Pi_3^2 - \Pi_1^2 \Pi_2^2 \left( 1 \right)$





### Astrophysical and laboratory parameters are not too far off

