

# Electroweak Symmetry Breaking, New Quarks, and Graphics Processors

Chris Schroeder  
University of California San Diego

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# Electroweak Symmetry

- In the 1860's, Maxwell unified the theories of electricity and magnetism – the impact has been profound
- In the 1960's, Weinberg et al. Similarly unified electromagnetism and the weak force – EW symmetry
- At “everyday” energies, EW symmetry is broken – an essential fact of the universe
- **What breaks Electroweak symmetry?**

# The Higgs Mechanism

- The Standard Model of Particle Physics:
  - there is a Higgs field governed by a symmetric potential with non-symmetric ground states
  - at low energies, the Higgs symmetry is broken
  - broken Higgs symmetry results in broken EW symmetry through Higgs-EW gauge couplings.
  - broken Higgs symmetry also generates quark and lepton masses through Higgs-fermion couplings
  - The SM has passed test after test, but we still haven't seen a Higgs boson, yet (LHC)

# A fundamental Higgs?

- In the Minimal SM, the Higgs is fundamental; its mass, potential, etc. are inputs
- A fundamental Higgs is problematic
  - EW symmetry breaking is “dialed in”
  - Provides no insight into GUT-EW energy hierarchy
  - Provides no insight into flavor symmetry/breaking
  - Experimental results ( $G_F$ ) lead to a need for  $O(10^{-30})$  fine-tuning of the Higgs mass (or SUSY)

# Extended Technicolor (ETC)

- We know a way to dynamically generate light bosons from a strong force: *chiral symmetry breaking* in QCD produces pseudo-Goldstone pions
- Technicolor: high energy copy of QCD, produces pseudo-Goldstone Higgs at EW scale through *TC chiral symmetry breaking*
- ETC: unify Technicolor and QCD to generate fermion masses, flavor, and more

# Advantages of ETC

## Fundamental Higgs

- ✗ EW symmetry breaking is “dialed in”
- ✗ Experimental results seem to demand extreme fine-tuning (or SUSY) and an “unnatural” energy hierarchy
- ✗ Provides no insight into flavor generation/symmetry

## ETC

- ✓ EW symmetry breaking is dynamic and “natural”
- ✓ No elementary scalars! Fine-tuning is not required and energy hierarchy may be natural, both due to details of renormalization
- ✓ A potentially fruitful model of flavor is not only possible but convenient

“No other scenario for the physics of the TeV scale solves these problems so neatly. Period.”  
-Kenneth Lane, 2002

# Challenges in Technicolor

- Flavor changing neutral currents
- Precision electroweak measurements
- The top mass

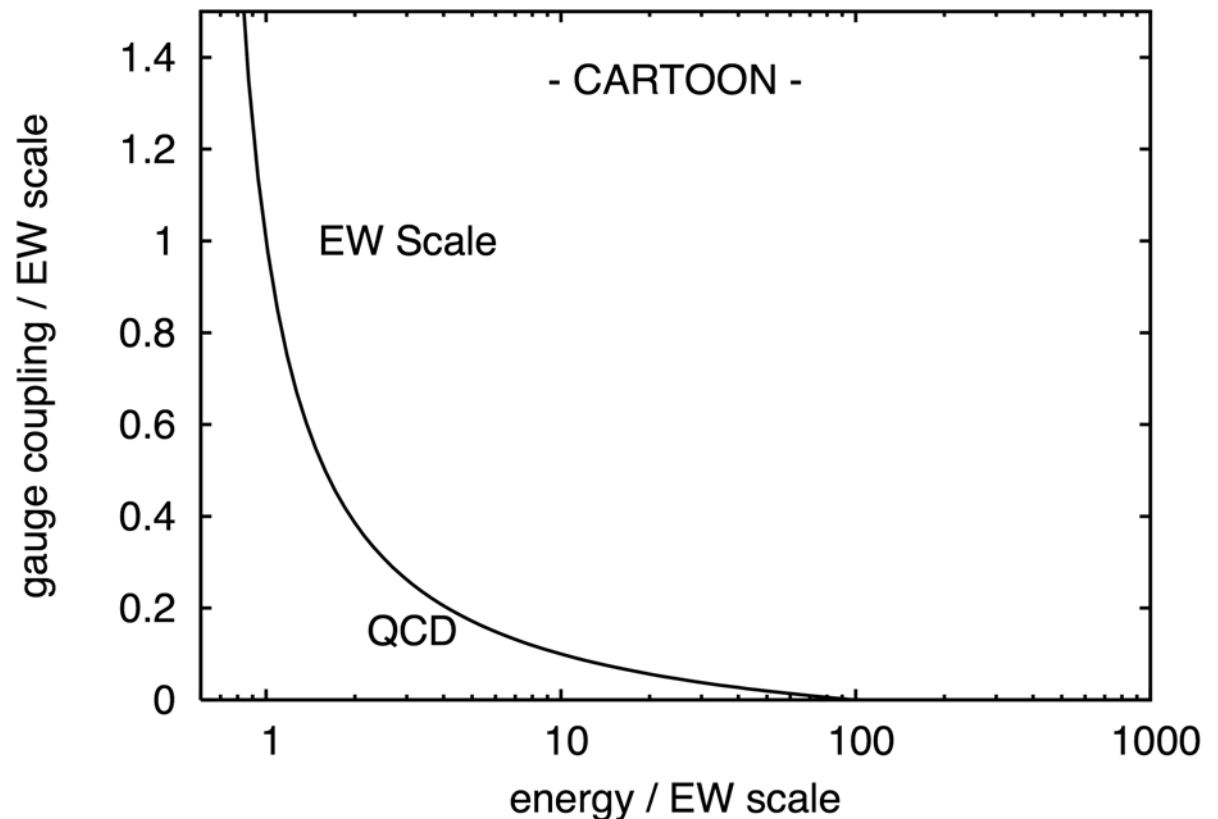
→ Bottom line:

**dynamical scale separation is necessary**

(but not sufficient)

# Running couplings

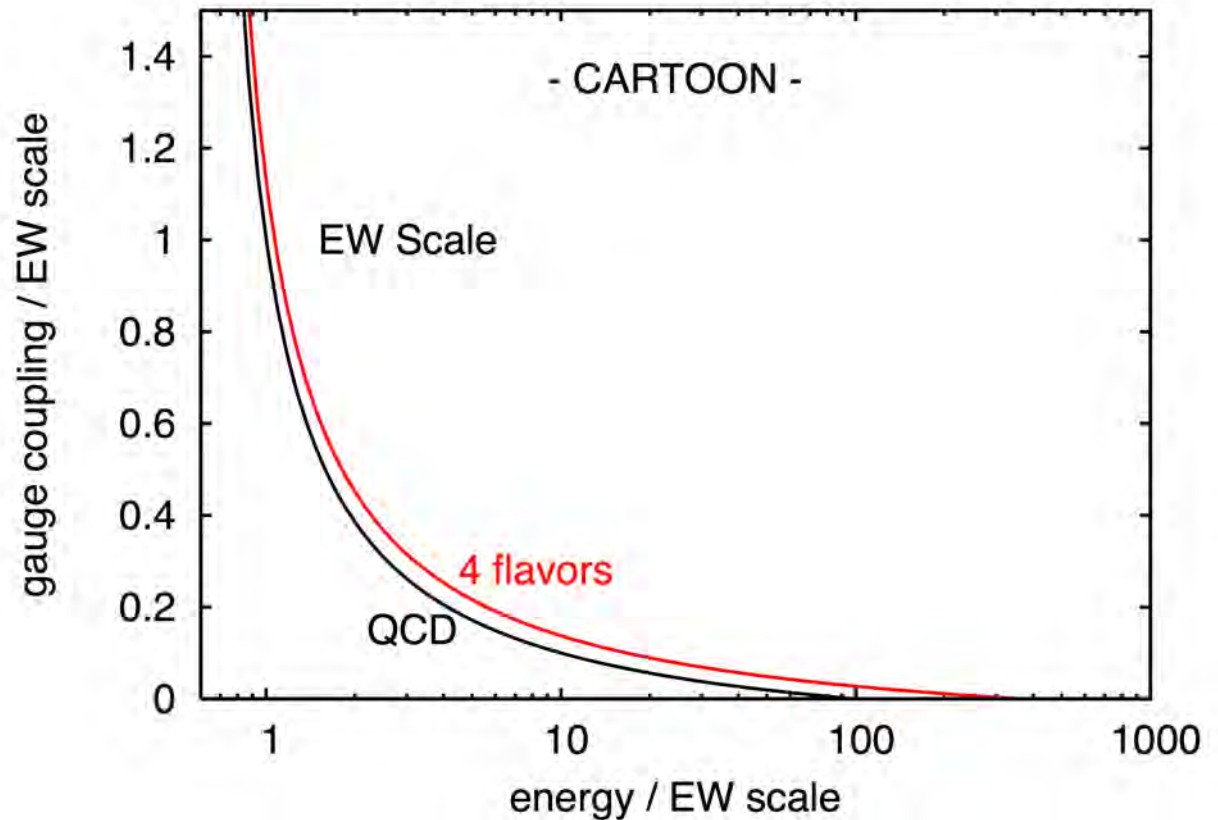
- In QFT, couplings change with energy scale (renormalization)
- symmetries break as couplings grow
- symmetry breaking produces (pseudo) Goldstone bosons
- QCD: 2 light quarks, chiral symmetry





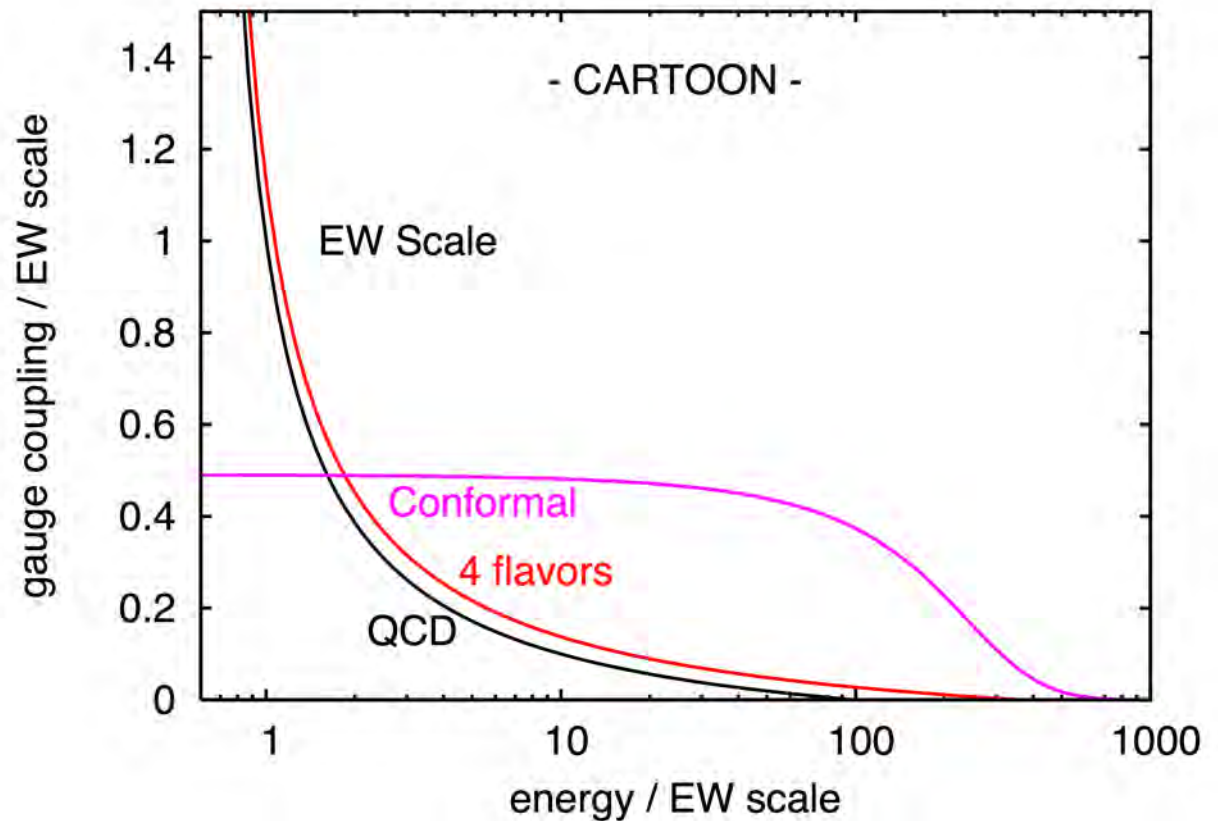
# Running couplings

- In QFT, couplings change with energy scale (renormalization)
- Four light flavors not much different



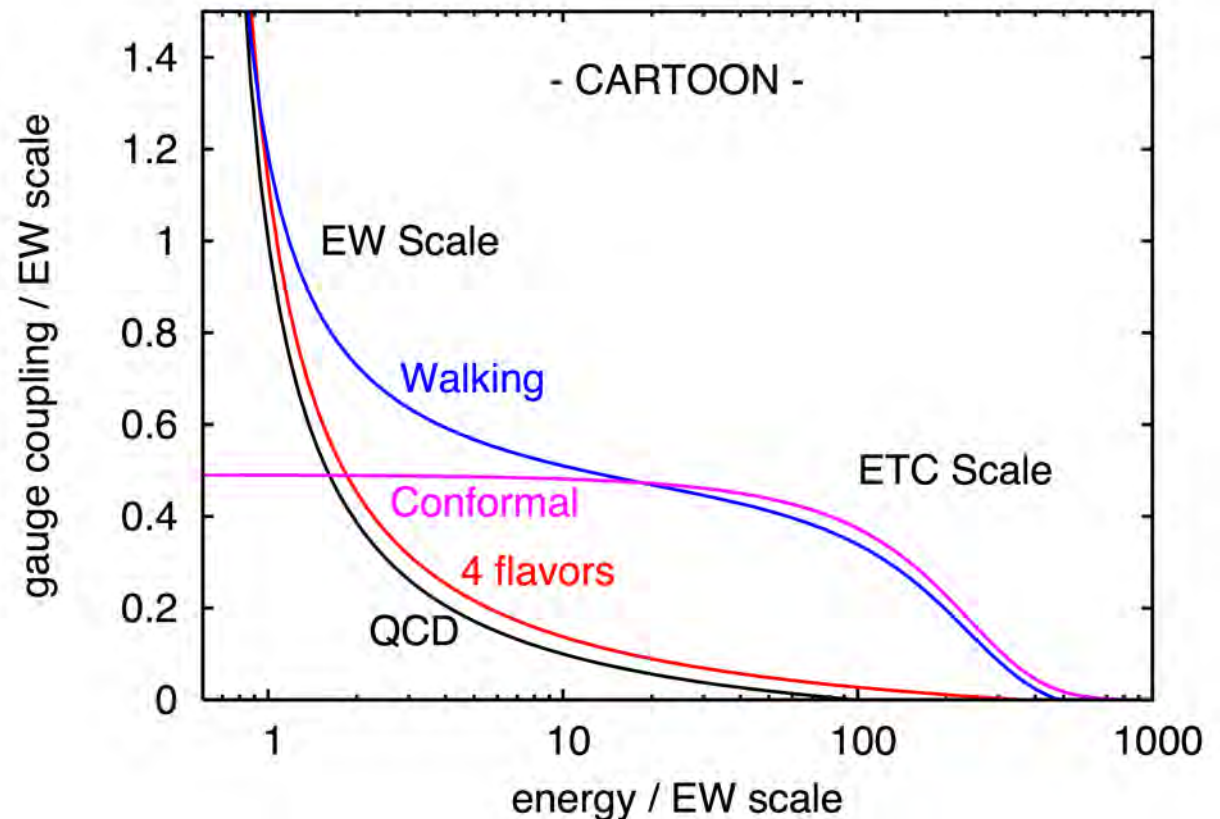
# Running couplings

- In QFT, couplings change with energy scale (renormalization)
- 16 flavors: conformal running stops at IR fixed point



# Running couplings

- In QFT, couplings change with energy scale (renormalization)
- must break ETC symmetry at high scale, EW sym. at usual scale
- massive ETC gauge bosons
- FCNC violation, PEW violation
- top mass?



# The hunt for Walking Technicolor

- Start with fundamental representation  
(work has begun on higher rep's)
- Scan  $N_f$  from 4 to 16
  - $N_f < 4$  – coupling definitely runs
  - $N_f > 16$  – conformal or not asym. free
- Determine if chiral symmetry is broken at  $T=0$ 
  - meson generation
  - eigenvalues of Dirac operator

# Lattice Quantum Field Theory

- Feynman Path Integral

$$\int dx_1^\mu dx_2^\mu \dots dx_{20^4}^\mu e^{-\bar{\psi}(x)(\gamma^\mu D_\mu(x,y)+M_q)^{-1}\psi(y)-S_{gauge}^E[U(x)]}$$

- Hybrid Monte Carlo

$U(x, t_{MD}) \rightarrow U(x, t'_{MD})$  ala Molecular Dynamics

with  $H = \frac{p^2}{2m_{MD}} + S^E$  and random initial  $p$

- 80% of computation is sparse matrix-vector multiply in CG for fermion force and action

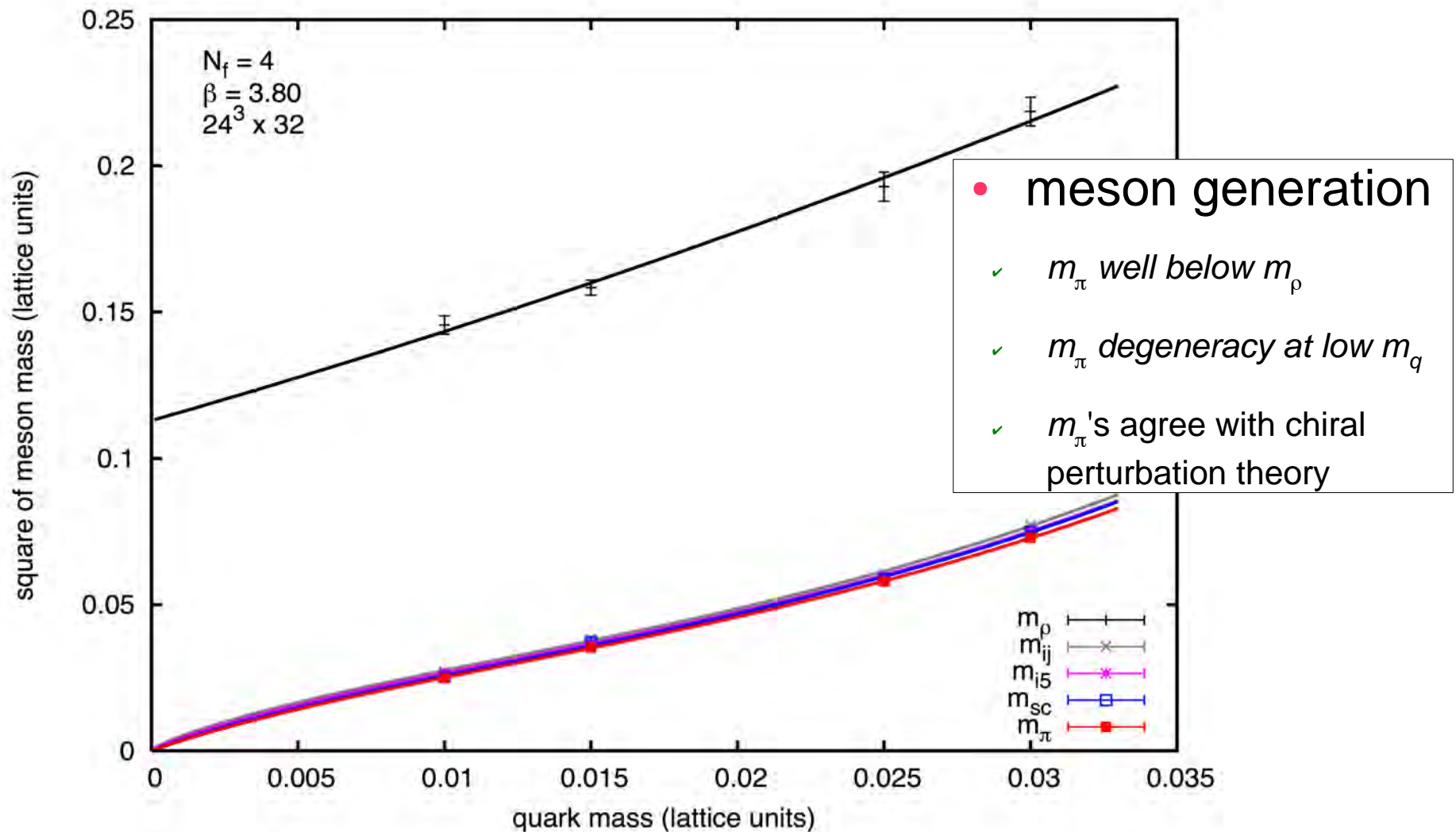
$$D_\mu(x, y) \psi(y)$$

# Lattice QFT on a GPU

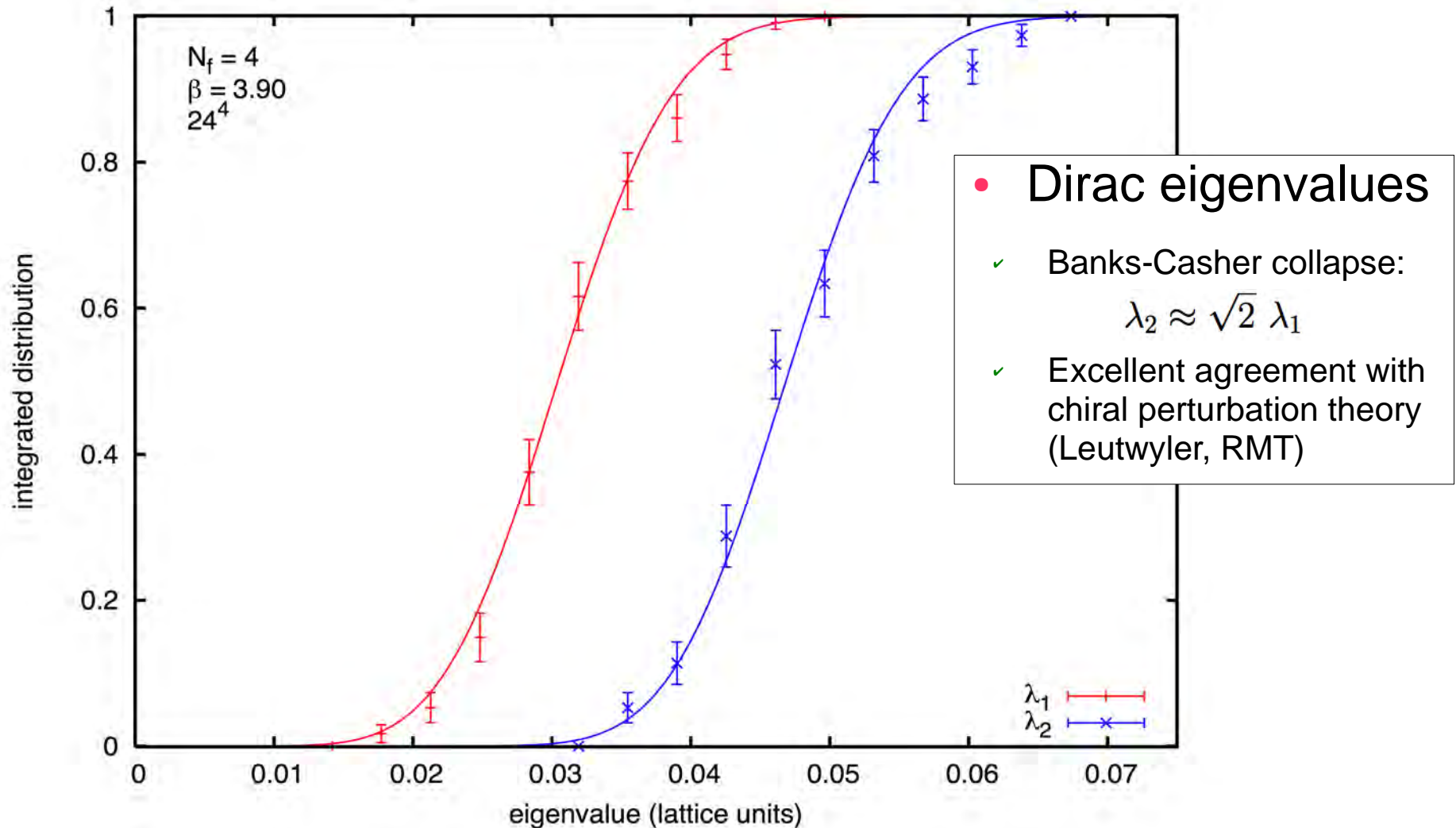
- MC mat-vec is perfect app for GPUs
  - “super” symmetric processing
  - light communication/synchronization
    - do ~1,000 CG iterations between sync's
  - single GPU jobs good for high capacity
    - for high capability, use BG/P
    - multi-GPU code under development
- Result is ~60 GF for  $20^4$  lattice (GTX 8800), ~20X faster than CPU (AMD Phenom 9950)



# Four flavors

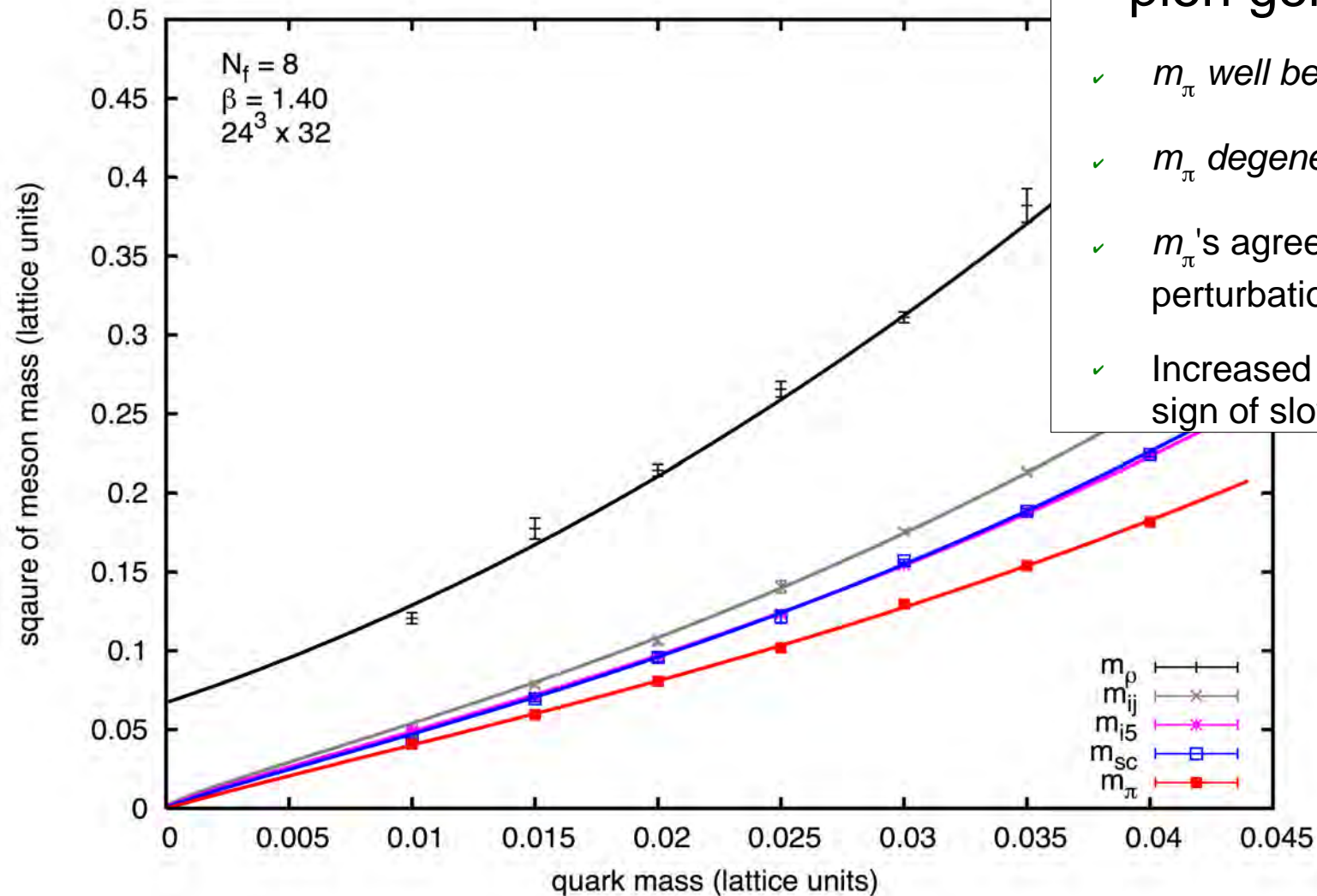


# Four flavors





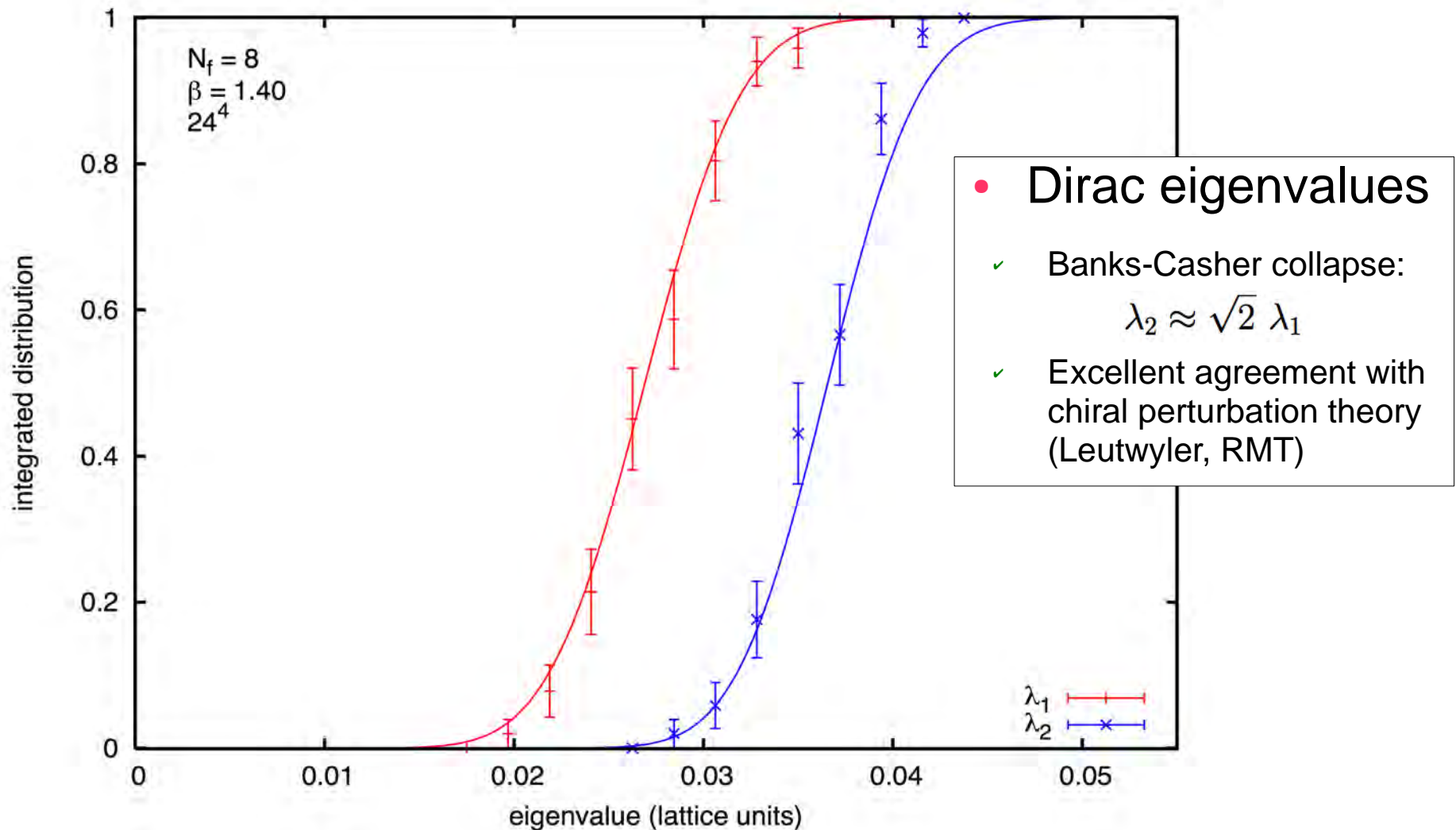
# Eight flavors



- pion generation

- ✓  $m_\pi$  well below  $m_\rho$
- ✓  $m_\pi$  degeneracy at low  $m_q$
- ✓  $m_\pi$ 's agree with chiral perturbation theory
- ✓ Increased splitting is a sign of slower running

# Eight flavors



# Twelve Flavors



in progress, results in weeks

# Summary

- The mechanism of Electroweak symmetry breaking is a pressing mystery; interpreting LHC results will demand lattice calculations
- Extended Technicolor is an interesting candidate with important advantages over the Minimal Standard Model
- Thorough demo of broken chiral symmetry for 4 and 8 flavors is progress, but we are a long way from demonstrating Technicolor

# Thank You!



Advisor: Julius Kuti, UCSD

Collaborators: Zoltan Fodor (U. of Wuppertal)  
Kieran Holland (U. of Pacific)  
Daniel Nogradi (UCSD)

# Recommended reading

- George Fleming, Strong Interactions for the LHC, 2008.
- Kenneth Lane, Two Lectures on Technicolor, 2002.
- Fodor et al, Probing Technicolor with Staggered Fermions, 2008.
- Egri et al, Lattice Simulation on Graphics Cards, 2006.



# particle masses

Quarks	2.4 MeV $\frac{2}{3}$ $\frac{1}{2}$ <b>u</b> up	1.27 GeV $\frac{2}{3}$ $\frac{1}{2}$ <b>c</b> charm	171.2 GeV $\frac{2}{3}$ $\frac{1}{2}$ <b>t</b> top	0 0 1 <b><math>\gamma</math></b> photon
	4.8 MeV $-\frac{1}{3}$ $\frac{1}{2}$ <b>d</b> down	104 MeV $-\frac{1}{3}$ $\frac{1}{2}$ <b>s</b> strange	4.2 GeV $-\frac{1}{3}$ $\frac{1}{2}$ <b>b</b> bottom	0 0 1 <b>g</b> gluon
Leptons	<2.2 eV 0 $\frac{1}{2}$ <b><math>\nu_e</math></b> electron neutrino	<0.17 MeV 0 $\frac{1}{2}$ <b><math>\nu_\mu</math></b> muon neutrino	<15.5 MeV 0 $\frac{1}{2}$ <b><math>\nu_\tau</math></b> tau neutrino	91.2 GeV 0 1 <b>Z<sup>0</sup></b> weak force
	0.511 MeV -1 $\frac{1}{2}$ <b>e</b> electron	105.7 MeV -1 $\frac{1}{2}$ <b><math>\mu</math></b> muon	1.777 GeV -1 $\frac{1}{2}$ <b><math>\tau</math></b> tau	
				80.4 GeV $\pm 1$ 1 <b>W<sup>±</sup></b> weak force
				Bosons (Forces)

# Scales

- Planck  $10^{19}$  GeV
- GUT  $10^{16}$  GeV
- ETC  $10^4$  GeV
- LHC  $10^3$  GeV
- TC  $\chi$ SB,  
Higgs,  
EW  $100$  GeV ( $10^{15}$  K)
- QCD  $\chi$ SB  $0.2$  GeV